Continuous soil attribute modeling and mapping: Decision Trees

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1 Decision Trees

Linear regression is a global model, where there is a single predictive formula holding over the entire data space. With a linear model we therefore make some assumptions about how our target variable relates to the covariates. These may often hold, however, it is models that allow one the flexibility of modelling non-linearity that are increasingly popular in the DSM community. One of these model structures are classification and regression trees (CART). These models are a non-parametric decision tree learning techniques that produces either classification or regression trees. In this section we will concentrate on regression trees because our target variable is numeric i.e. a continuous variable. Later we will look at classification trees for categorical variables. Decision trees (either regression or classification) are formed by a collection of rules based on variables in the modeling data set:

- Rules based on variables' values are selected to get the best split to differentiate observations based on the dependent variable.
- Once a rule is selected and splits a node into two, the same process is applied to each subsequent node (i.e. it is a recursive procedure).
- Splitting stops when CART detects no further gain can be made, or some pre-set stopping rules are met. Alternatively, the data are split as much as possible and then the tree is later pruned.

Each branch of the tree ends in a terminal node. Each observation falls into one and exactly one terminal node, and each terminal node is uniquely defined by a set of rules. For a regression tree, the terminal node is a single value, or could be a regression model (which is the case for Cubist models which we will look at later). Implementation of regression trees in R is provided both through the rpart and party packages. We will use the rpart package and its rpart function. However, the party package through the ctree function offers more functionality, and implements the partitioning in a more statistical robust fashion. Both functions however can handle both continuous and categorical predictor variables.

First lets get the data.

```
library(ithir)
library(raster)
library(rgdal)
library(sp)
# point data
data(HV_subsoilpH)
# Start afresh round pH data to 2 decimal places
HV_subsoilpH$pH60_100cm <- round(HV_subsoilpH$pH60_100cm, 2)</pre>
# remove already intersected data
HV_subsoilpH <- HV_subsoilpH[, 1:3]</pre>
# add an id column
HV_subsoilpHid <- seq(1, nrow(HV_subsoilpH), by = 1)
# re-arrange order of columns
HV_subsoilpH \leftarrow HV_subsoilpH[, c(4, 1, 2, 3)]
# Change names of coordinate columns
names(HV_subsoilpH)[2:3] <- c("x", "y")</pre>
# grids (covariate raster)
data(hunterCovariates_sub)
 Perform the covariate intersection.
coordinates(HV_subsoilpH) <- ~x + y</pre>
# extract
DSM_data <- extract(hunterCovariates_sub, HV_subsoilpH, sp = 1, method = "simple")
DSM_data <- as.data.frame(DSM_data)</pre>
str(DSM_data)
## 'data.frame': 506 obs. of 15 variables:
## $ id
                              : num 1 2 3 4 5 6 7 8 9 10 ...
## $ x
                              : num 340386 340345 340559 340483 340734 ...
                              : num 6368690 6368491 6369168 6368740 6368964 ...
## $ y
## $ pH60_100cm
                             : num 4.47 5.42 6.26 8.03 8.86 7.28 4.95 5.61 5.39 3.44 ...
## $ Terrain_Ruggedness_Index: num 1.34 1.42 1.64 1.04 1.27 ...
## $ AACN
                                     1.619 0.281 2.301 1.74 3.114 ...
                           : num
## $ Landsat_Band1
                             : num 57 47 59 52 62 53 47 52 53 63 ...
## $ Elevation
                             : num 103.1 103.7 99.9 101.9 99.8 ...
## $ Hillshading
                            : num 1.849 1.428 0.934 1.517 1.652 ...
## $ Light_insolation
                            : num 1689 1701 1722 1688 1735 ...
## $ Mid_Slope_Positon
                            : num 0.876 0.914 0.844 0.848 0.833 ...
## $ MRVBF
                              : num 3.85 3.31 3.66 3.92 3.89 ...
## $ NDVI
                              : num -0.143 -0.386 -0.197 -0.14 -0.15 ...
```

```
## $ TWI : num 17.5 18.2 18.8 18 17.8 ...
## $ Slope : num 1.79 1.42 1.01 1.49 1.83 ...
```

Often it is handy to check to see whether there are missing values both in the target variable and of the covariates. It is possible that a point location does not fit within the extent of the available covariates. In these cases the data should be excluded. A quick way to assess whether there are missing or NA values in the data is to use the complete.cases function.

```
which(!complete.cases(DSM_data))
## integer(0)
DSM_data <- DSM_data[complete.cases(DSM_data), ]</pre>
```

Fitting a decision tree in R is quite similar to that for linear models:

```
library(rpart)
## Warning: package 'rpart' was built under R version 3.2.5
set.seed(123)
training <- sample(nrow(DSM_data), 0.7 * nrow(DSM_data))</pre>
```

Mid_Slope_Positon + MRVBF + NDVI + TWI, data = DSM_data[training,],
 control = rpart.control(minsplit = 50))
It is worthwhile to look at the help file for rpart particularly those aspects
regarding the rpart.control parameters which control the rpart fit. Often it

hv.RT.Exp <- rpart(pH60_100cm ~ AACN + Landsat_Band1 + Elevation + Hillshading +

is helpful to just play around with the parameters to get a sense of what does what. Here for the minsplit parameter within rpart.control we are specifying that we want at least 50 observations in a node in order for a split to be attempted.

Detailed results of the model fit can be provided via the summary and printcp functions.

```
summary(hv.RT.Exp)
```

The summary output provides detailed information of the data splitting as well as information as to the relative importance of the covariates.

```
printcp(hv.RT.Exp)
```

The printcp function provides the useful output of indicating which covariates were included in the final model. For the visually inclined, a plot of the tree assists a lot to interpret the model diagnostics and assessing the important covariates too(Figure 1).

```
plot(hv.RT.Exp)
text(hv.RT.Exp)
```

As before, we can use the goof function to test the performance of the model fit both internally and externally.

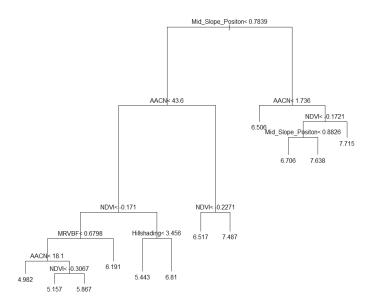


Figure 1: Decision tree of Hunter Valley soil pH (60-100cm).

```
# Internal validation
RT.pred.C <- predict(hv.RT.Exp, DSM_data[training, ])</pre>
goof(observed = DSM_data$pH60_100cm[training], predicted = RT.pred.C)
            R2 concordance
                                 MSE
                                         RMSE
## 1 0.3627782
                 0.5328417 1.154466 1.074461 -8.881784e-16
# External validation
RT.pred.V <- predict(hv.RT.Exp, DSM_data[-training, ])</pre>
goof(observed = DSM_data$pH60_100cm[-training], predicted = RT.pred.V)
             R2 concordance
                                  MSE
                                          RMSE
                                                      bias
## 1 0.05587206
                  0.2131035 1.858148 1.363139 0.03135219
```

The decision tree model performance is not too dissimilar to the MLR model. Looking at the xy-plot from the external validation (Figure 2) and the decision tree (Figure 1), it becomes clear that a potential issue is apparent. This is: there are only a finite number of possible outcomes in terms of the predictions.

This finite property becomes obviously apparent once we make a map by applying the fitted model to the covariates (using the raster predict function and hunterCovariates_sub object). (Figure 3).

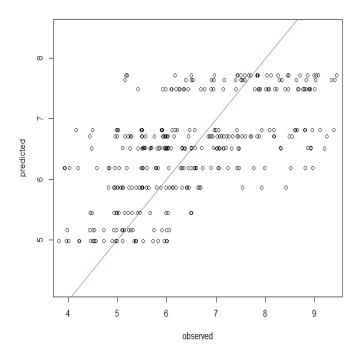


Figure 2: Decision tree xy-plot plot of predicted soil pH (60-100cm) (validation data set).

References

Decision tree predicted Hunter Valley soil pH (60-100cm

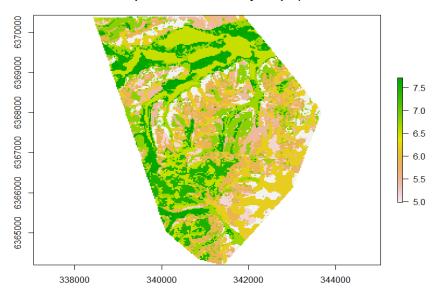


Figure 3: Decision tree predicted Hunter Valley soil pH (60-100cm).